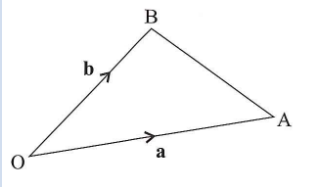
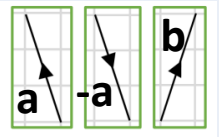
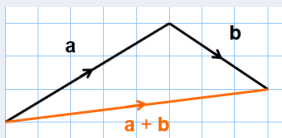


VECTORS

Keywords:	Vector / Magnitude / Parallel / Scalar					
Definition / Description:	Vector: a quantity with size and direction	Magnitude: The size of a vector (length)	Parallel: Two lines that never meet	Scalar: A quantity that has only magnitude		
Knowledge points:	Representing vectors: A vector can be represented using a line segment with an arrow. The MAGNITUDE of the vector is given by the length of the line. The direction of the vector is given by the arrow	Column Vectors: Are written in the form $\begin{pmatrix} x \\ y \end{pmatrix}$ where x tells you how far to move left or right and y, how far to move up or down	Parallel vectors: Vectors that are multiples of one another. If one vector is parallel to another but a different size, they are SCALAR MULTIPLES	Adding and subtracting vectors: Adding vectors is equivalent to applying one vector followed by the other	Multiplying vectors: A vector can be multiplied by a scalar to create a parallel vector	Vector geometry: 
Knowledge point examples:		$\begin{pmatrix} -9 \\ 15 \end{pmatrix}$ Move 9 places to the LEFT and 15 places UP	$\mathbf{a} = \begin{pmatrix} 2 \\ 4 \end{pmatrix} \quad \mathbf{b} = \begin{pmatrix} -2 \\ -4 \end{pmatrix}$ Vectors a and b are parallel and scalar multiples (multiple of -1) $\mathbf{c} = \begin{pmatrix} 4 \\ 8 \end{pmatrix} \quad \mathbf{d} = \begin{pmatrix} 3 \\ 6 \end{pmatrix}$ Vectors c and d are parallel and scalar multiples (multiple of -1)	$\mathbf{a} = \begin{pmatrix} 5 \\ 3 \end{pmatrix} \quad \mathbf{b} = \begin{pmatrix} 3 \\ -2 \end{pmatrix}$ Find $\mathbf{a} + \mathbf{b}$ $\mathbf{a} + \mathbf{b} = \begin{pmatrix} 5+3 \\ 3+(-2) \end{pmatrix} = \begin{pmatrix} 8 \\ 1 \end{pmatrix}$ 	$\mathbf{p} = \begin{pmatrix} 2 \\ -3 \end{pmatrix}$ $2\mathbf{p} = \begin{pmatrix} 2 \times 2 \\ 2 \times -3 \end{pmatrix} = \begin{pmatrix} 4 \\ -6 \end{pmatrix}$ $-\mathbf{p} = \begin{pmatrix} -1 \times 2 \\ -1 \times -3 \end{pmatrix} = \begin{pmatrix} -2 \\ 3 \end{pmatrix}$	a) $\overrightarrow{AO} = -\mathbf{a}$ b) $\overrightarrow{AB} = -\mathbf{a} + \mathbf{b}$ c) $\overrightarrow{BA} = -\mathbf{b} + \mathbf{a}$
Linked Knowledge Maps	Linear Graphs Transformations Angles Ratio 2D shapes					